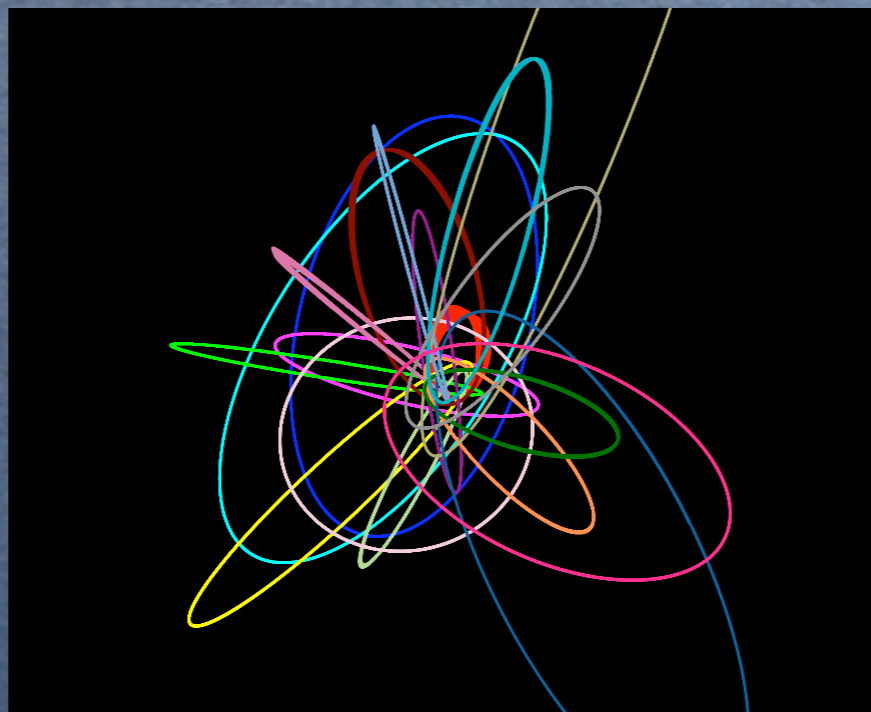


Evolution of the nuclear star cluster



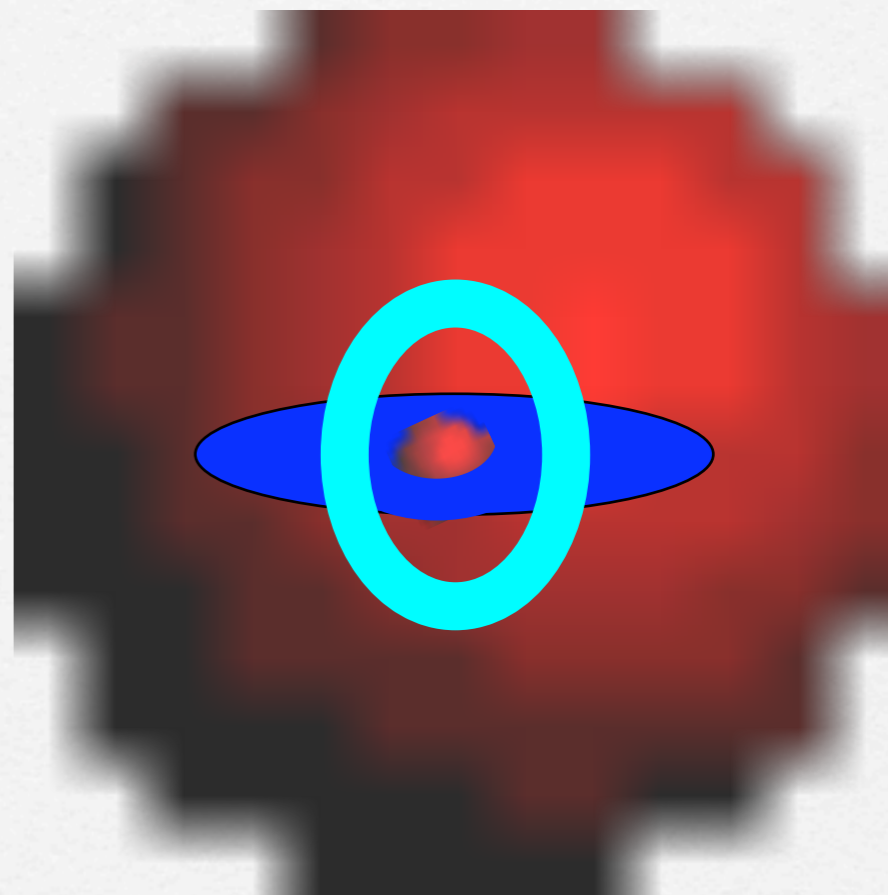
Alessia Gualandris

Rochester Institute of Technology

Collaborators: Stefan Harfst, David Merritt, Seppo Mikkola, Hagai Perets

The Galactic center

- SMBH $M = 4 \times 10^6 M_{\odot}$
- Stellar cusp $d \approx 3 \text{ pc}$
- CW stellar disk
scale $0.05 - 0.5 \text{ pc}$, mass $10^3 - 10^4 M_{\odot}$,
OB stars, age $\sim 5 \text{ Myr}$
- ? CCW inclined disk
- S-cluster $N \sim 20$ B-type stars
 $5 - 50 \text{ mpc}$, random orientations



Simulating the Galactic center

- Φ GRAPE: parallel direct summation N-body code, 4th order Hermite integrator, predictor-corrector scheme, GRAPE support

Harfst, Gualandris, Merritt,
Portegies Zwart, Berczik (2007)

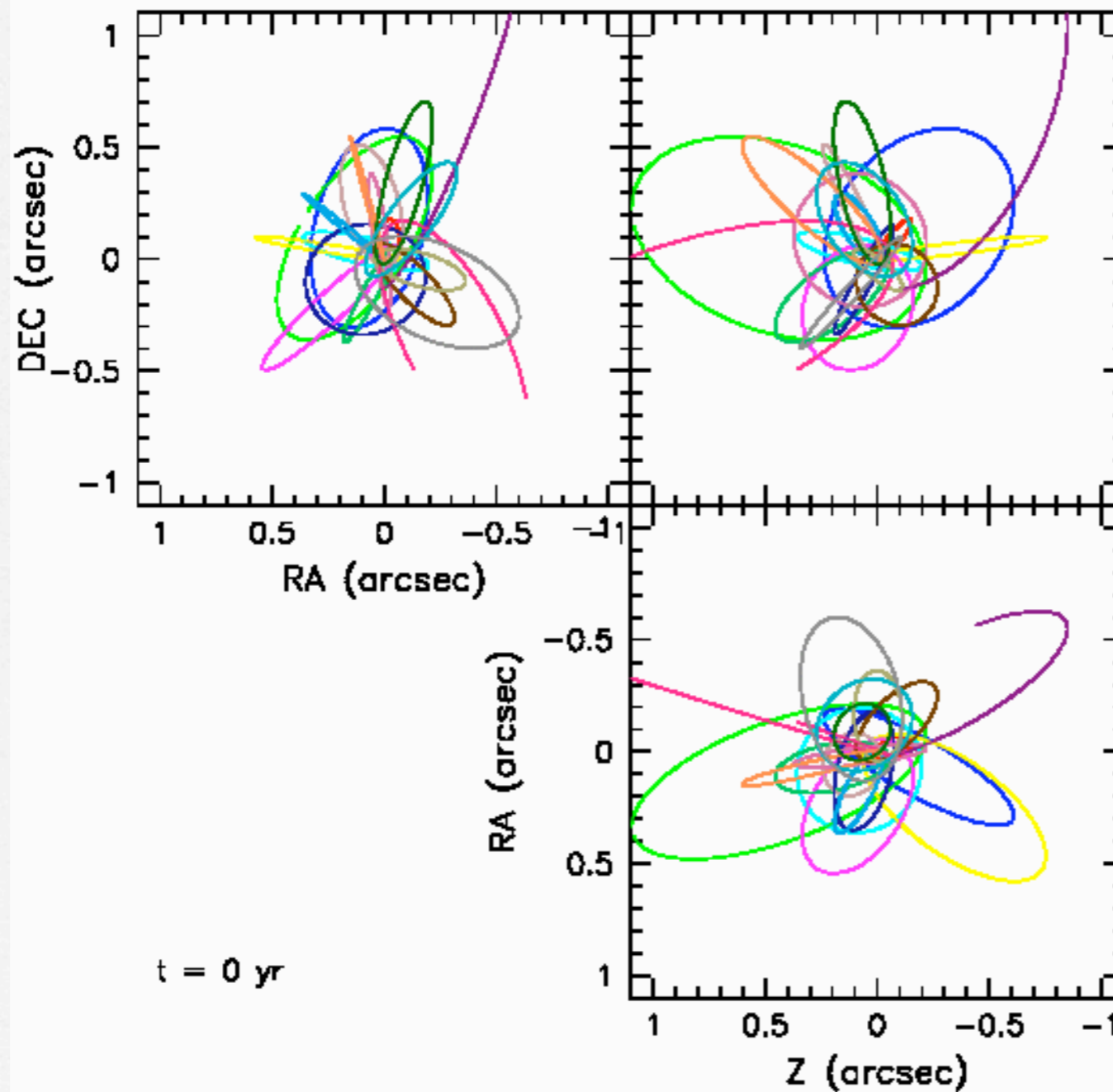
- AR-CHAIN: algorithmic regularization code with PN terms up to order 2.5

Mikkola & Merritt (2008)

- Φ GRAPEch: hybrid N-body Φ GRAPE + chain regularization

Harfst, Gualandris, Merritt, Mikkola (2008)

Evolution of the S-stars



19 S-stars
 $M_{\text{SMBH}} = 4 \times 10^6 M_{\odot}$
 $M_{\text{S-stars}} = 10 M_{\odot}$

Simulations performed
with AR-CHAIN

Evolution of the S-stars

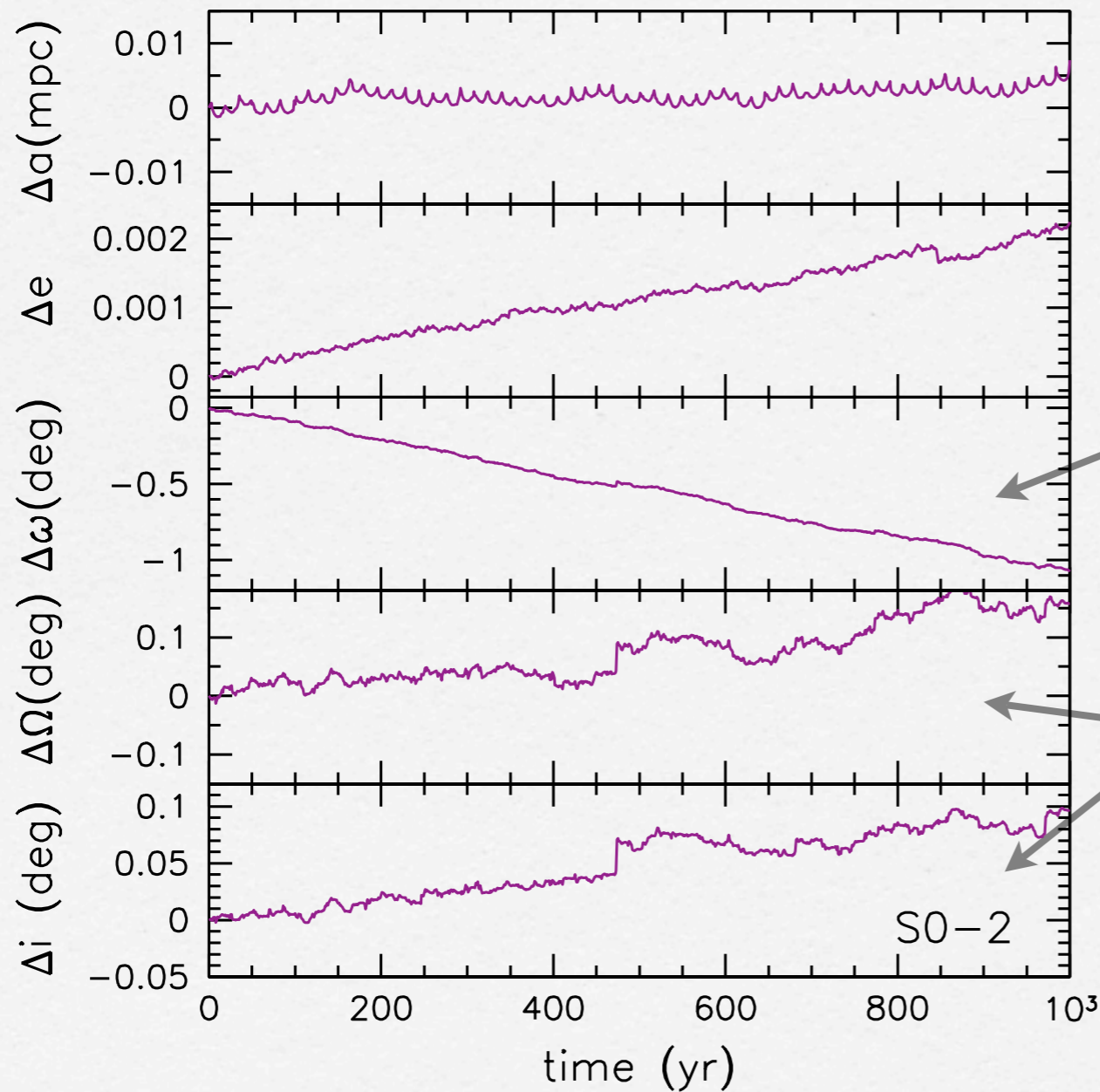
GR precession - PN terms

$$T_P = \frac{2\pi}{3} \frac{c^2}{G^{3/2}} (1 - e^2) \frac{a^{5/2}}{M_{\text{BH}}^{3/2}}$$
$$\simeq 8.2 \times 10^5 \text{ yr} \left(\frac{a}{10 \text{ mpc}} \right)^{5/2} \left(\frac{4 \times 10^6 M_{\odot}}{M_{\text{BH}}} \right)^{3/2} (1 - e^2)$$

Evolution of the S-stars in the stellar cusp

- Hopman & Alexander (2006) multi-mass model
 $N = 75000$ $r < 0.01$ pc
- SMBH $M_{\text{SMBH}} = 3 \times 10^6 M_{\odot}$
- MS stars $m = 1 M_{\odot}$, WD $m = 0.6 M_{\odot}$,
NS $m = 1.4 M_{\odot}$, BH $m = 10 M_{\odot}$
- S-stars: S0-2, S0-16, S0-19, S0-20, S0-1
 $m = 15 M_{\odot}$

Evolution of the S-stars in the stellar cusp



$N = 7.5 \times 10^4$ stellar cusp

Newtonian precession

$\Delta \omega \propto M_*(< r) / M_{\text{BH}}$
retrograde

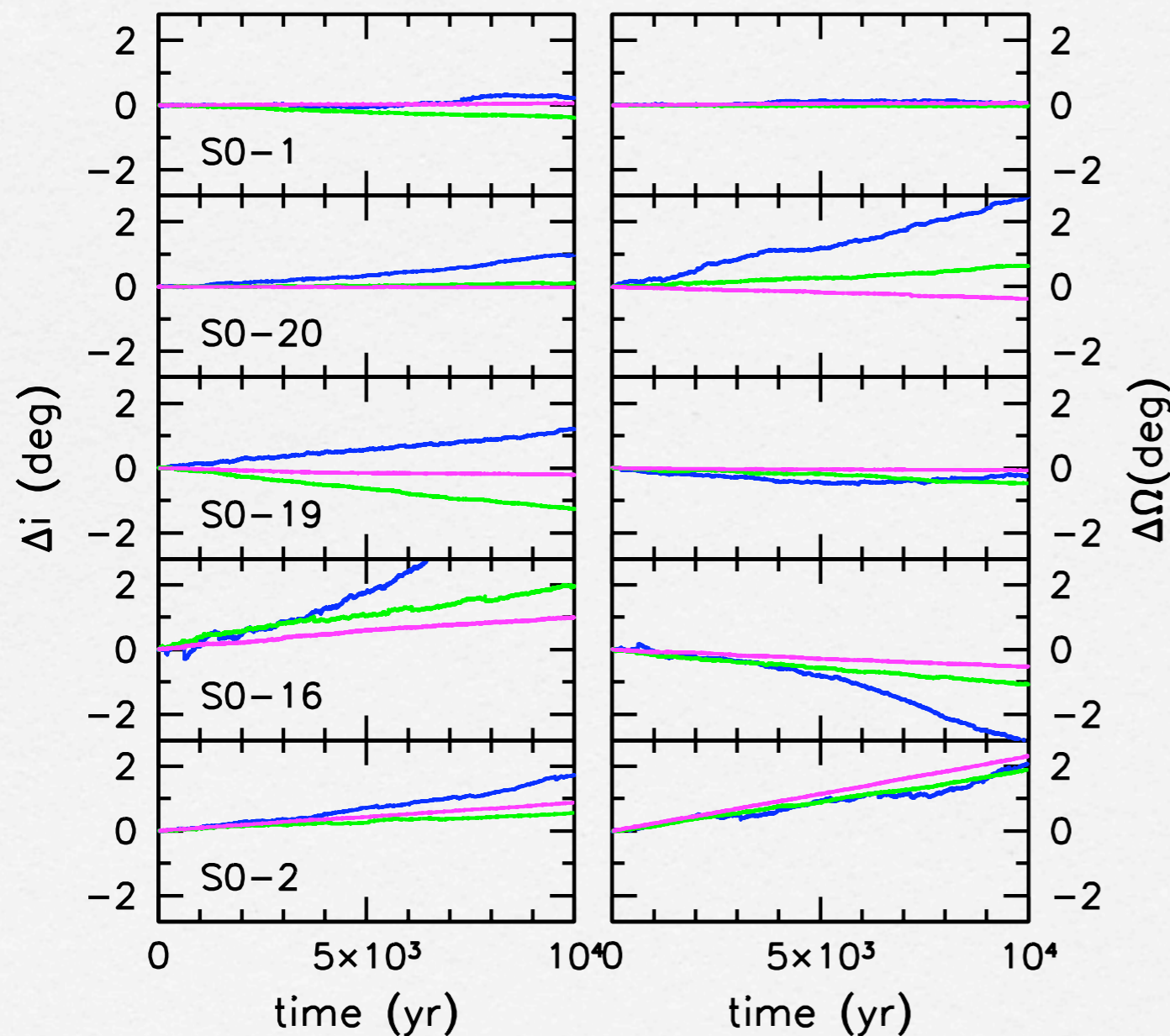
Resonant relaxation

Simulations performed with
 Φ GRAPEch

Harfst, Gualandris, Merritt, Mikkola (2008)

S0-2

Evolution of the S-stars in the stellar cusp



Deviations of the potential from spherical symmetry



$$\Delta(i, \Omega) \approx A \frac{m}{M_{\bullet}} N^{1/2} \frac{t}{P}$$

$$\approx A \frac{m}{2\pi} \left(\frac{GN}{M_{\bullet} a^3} \right)^{1/2} t$$

Rauch & Tremaine (1996)

for $A = 1$ $t = 10^4$ yr

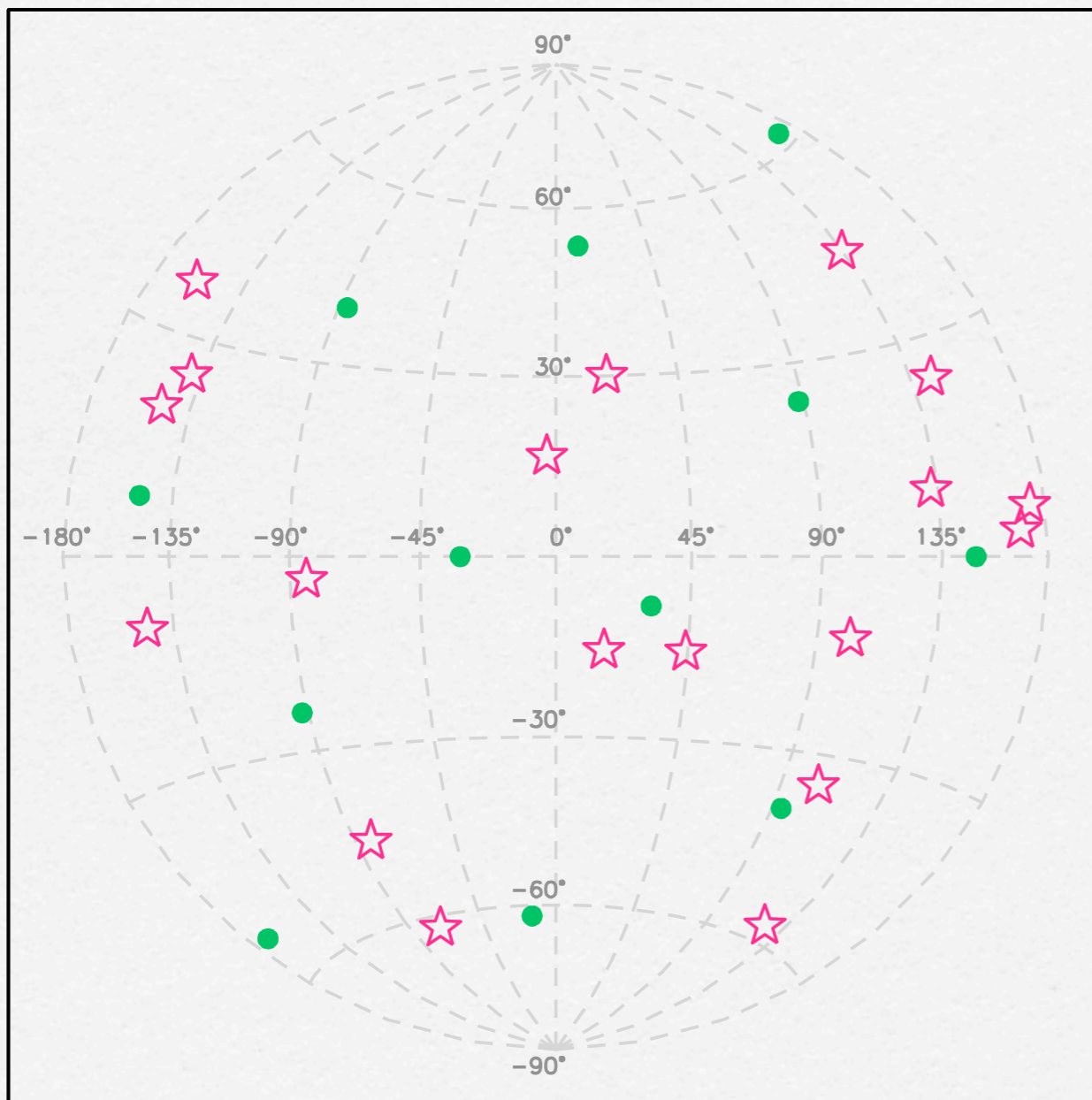
$\Delta(i, \Omega) = 0.5^{\circ}$ $a = 10$ mpc

$\Delta(i, \Omega) = 1^{\circ}$ $a = 2$ mpc

$2 < A < 3$

Simulations performed with
Φ GRAPEch

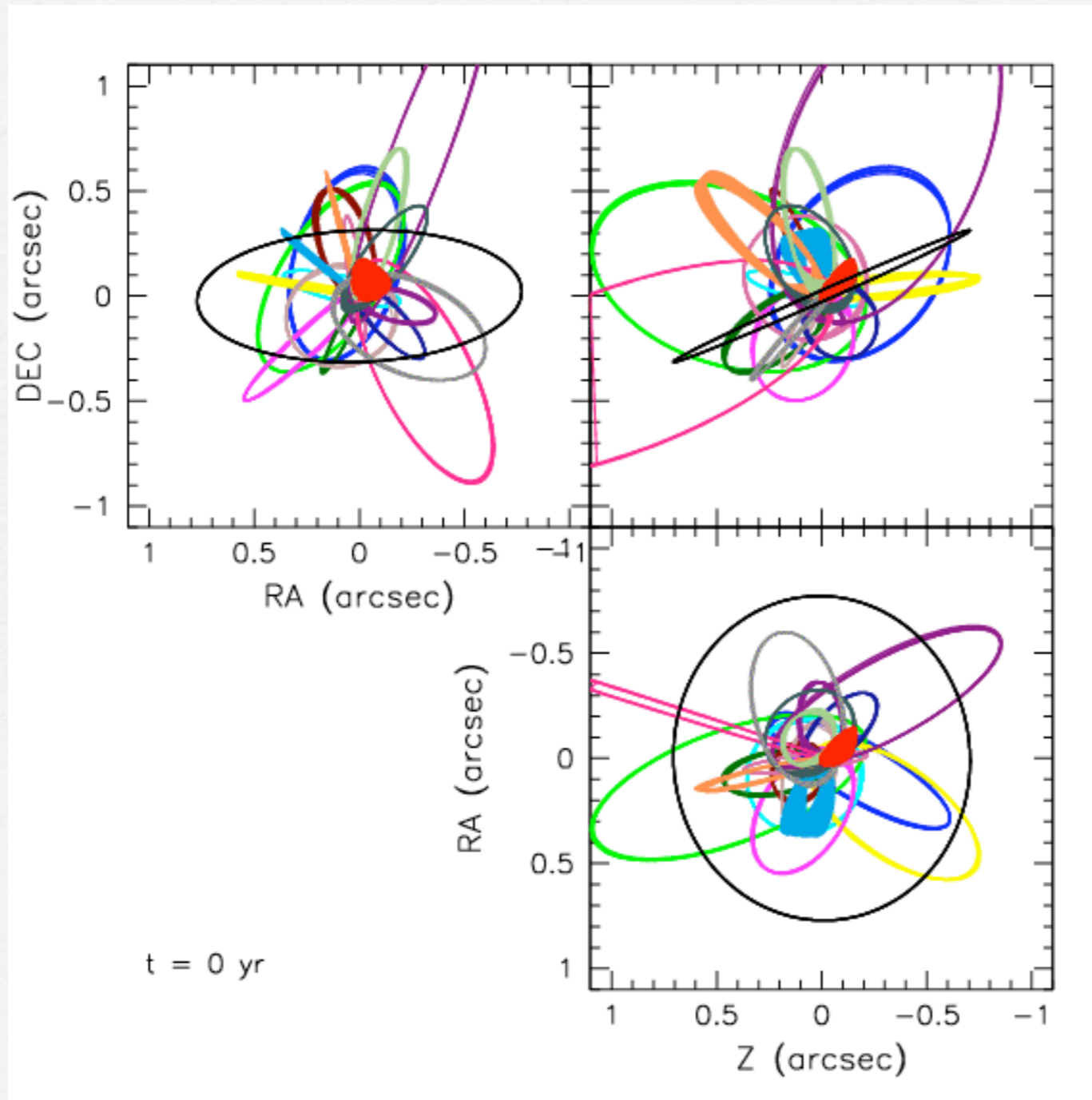
Evolution of S-stars + IMBH



- SMBH $M_{\text{SMBH}} = 4 \times 10^6 M_{\odot}$
- 19 S-stars $m = 10 M_{\odot}$
- IMBH $M_{\text{IMBH}} = 400, 1000, 2000, 4000 M_{\odot}$
- $a = 0.3, 1, 3, 10, 30 \text{ mpc}$
- 12 positions on the sky
- $e_{\text{IMBH}} = 0$

Gualandris & Merritt (in prep.)

Evolution of S-stars + IMBH



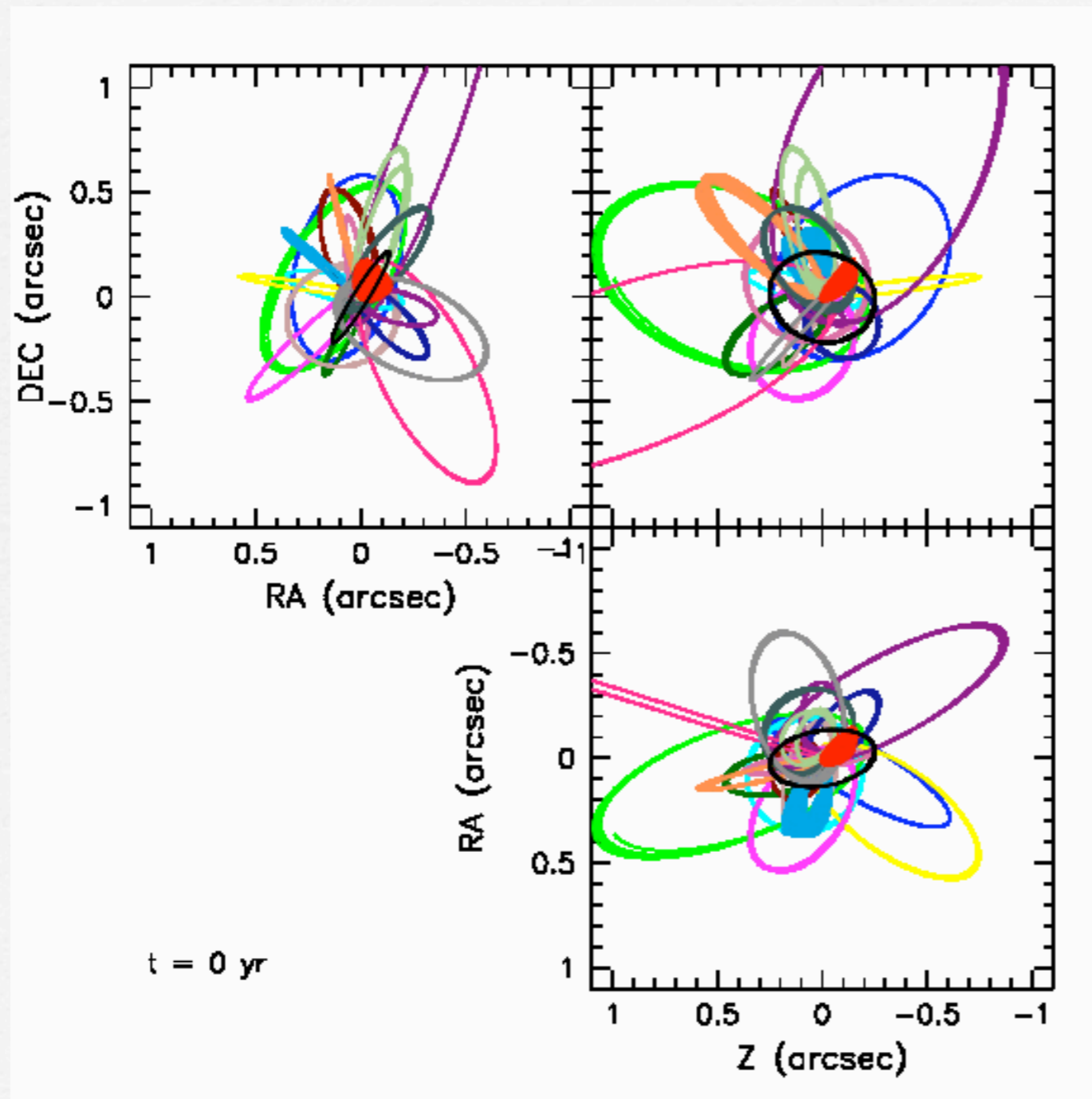
$$M_{\text{IMBH}} = 4000 M_{\odot}$$

$$a = 30 \text{ mpc}$$

perturbations

Simulations performed
with AR-CHAIN

Evolution of S-stars + IMBH



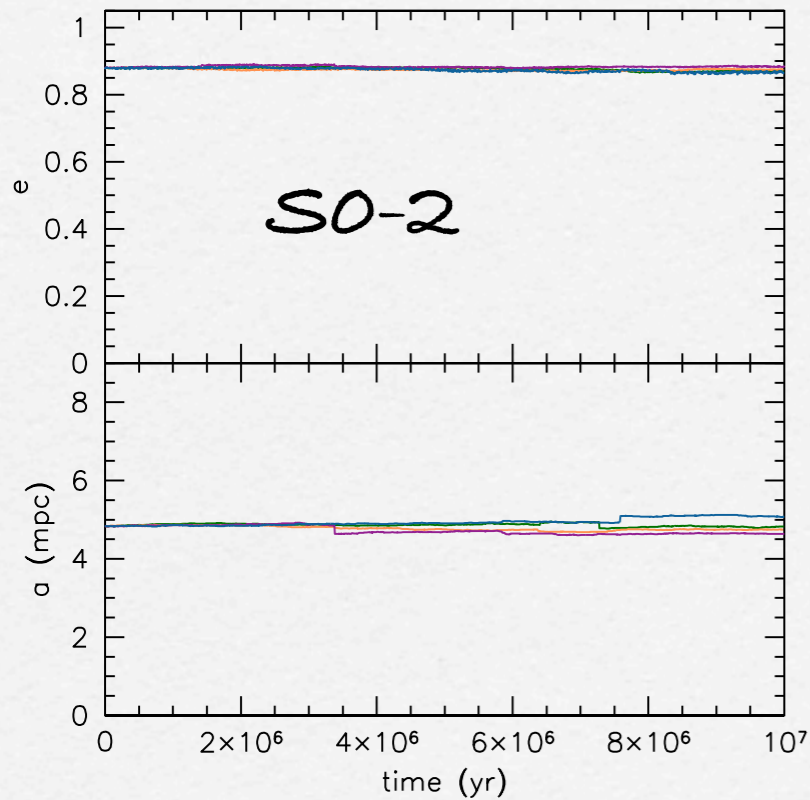
$$M_{\text{IMBH}} = 2000 M_{\odot}$$

$$a = 10 \text{ mpc}$$

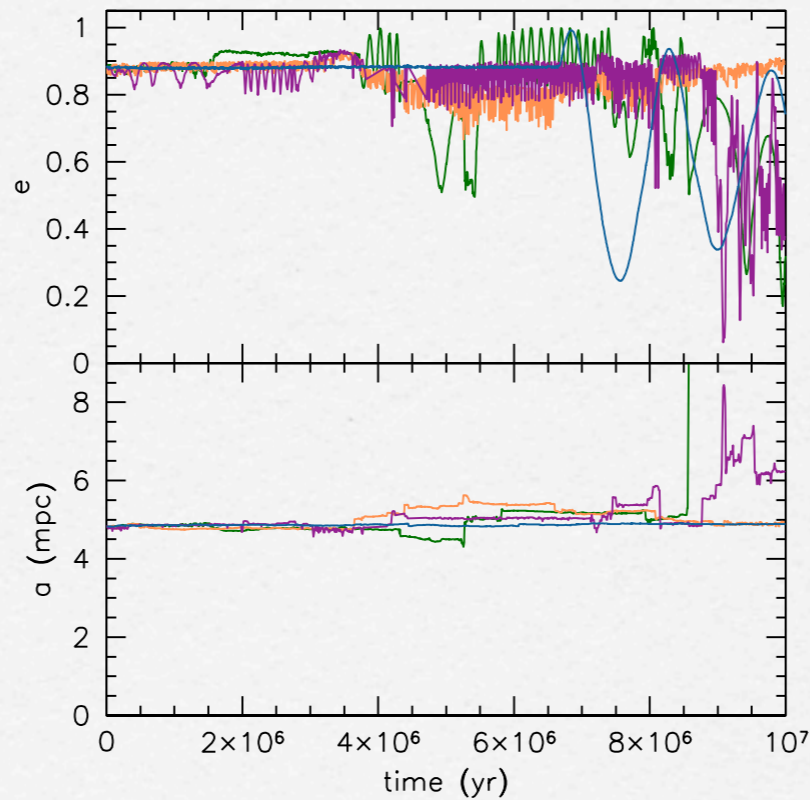
ejection

Simulations performed
with AR-CHAIN

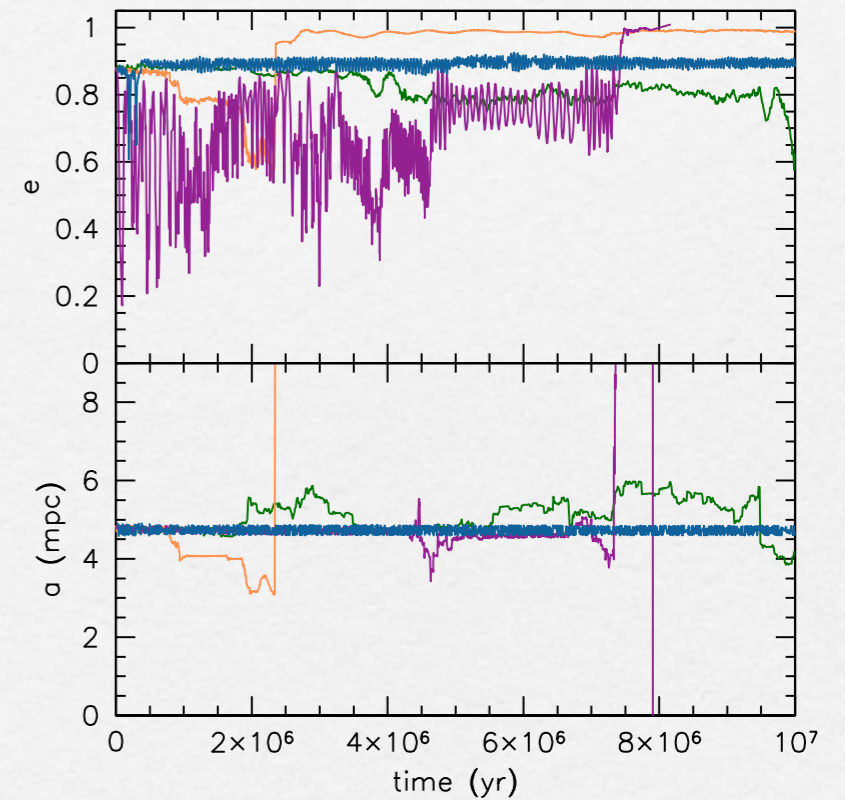
Evolution of S-stars + IMBH



$$a_{\text{IMBH}} = 30 \text{ mpc}$$



$$a_{\text{IMBH}} = 10 \text{ mpc}$$

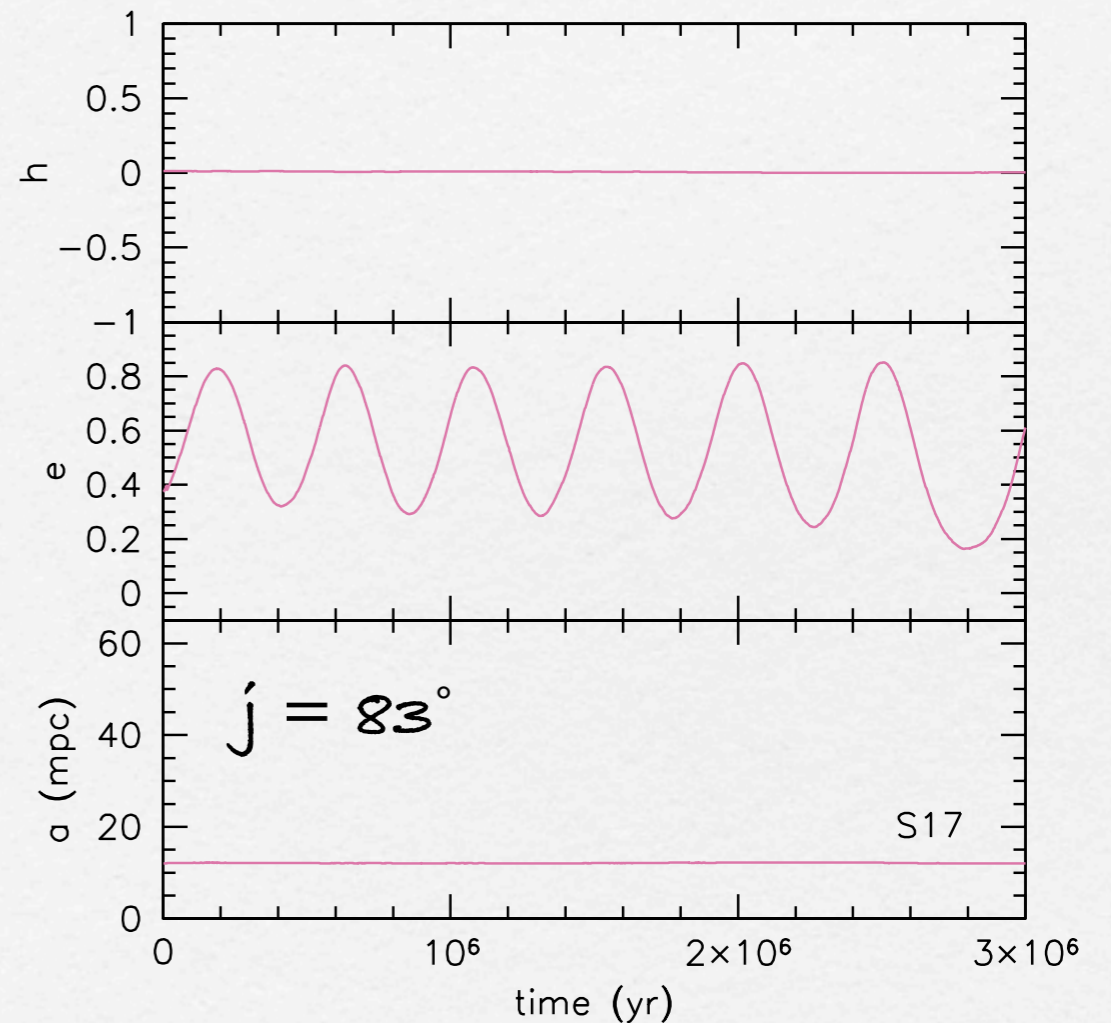
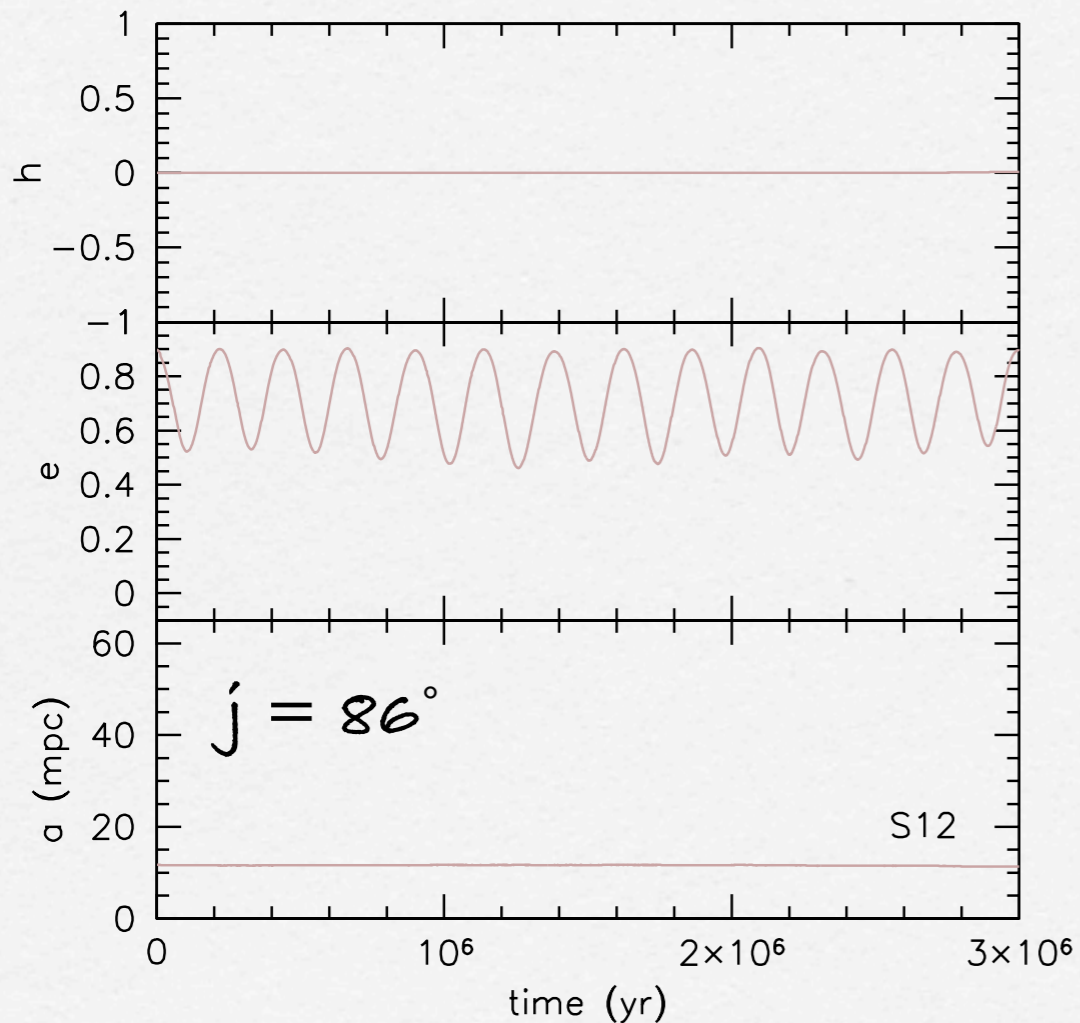


$$a_{\text{IMBH}} = 3 \text{ mpc}$$

Simulations performed
with AR-CHAIN

Gualandris & Merritt (in prep.)

Evolution of S-stars + IMBH



$$h = (1 - e^2) \cos^2(j)$$

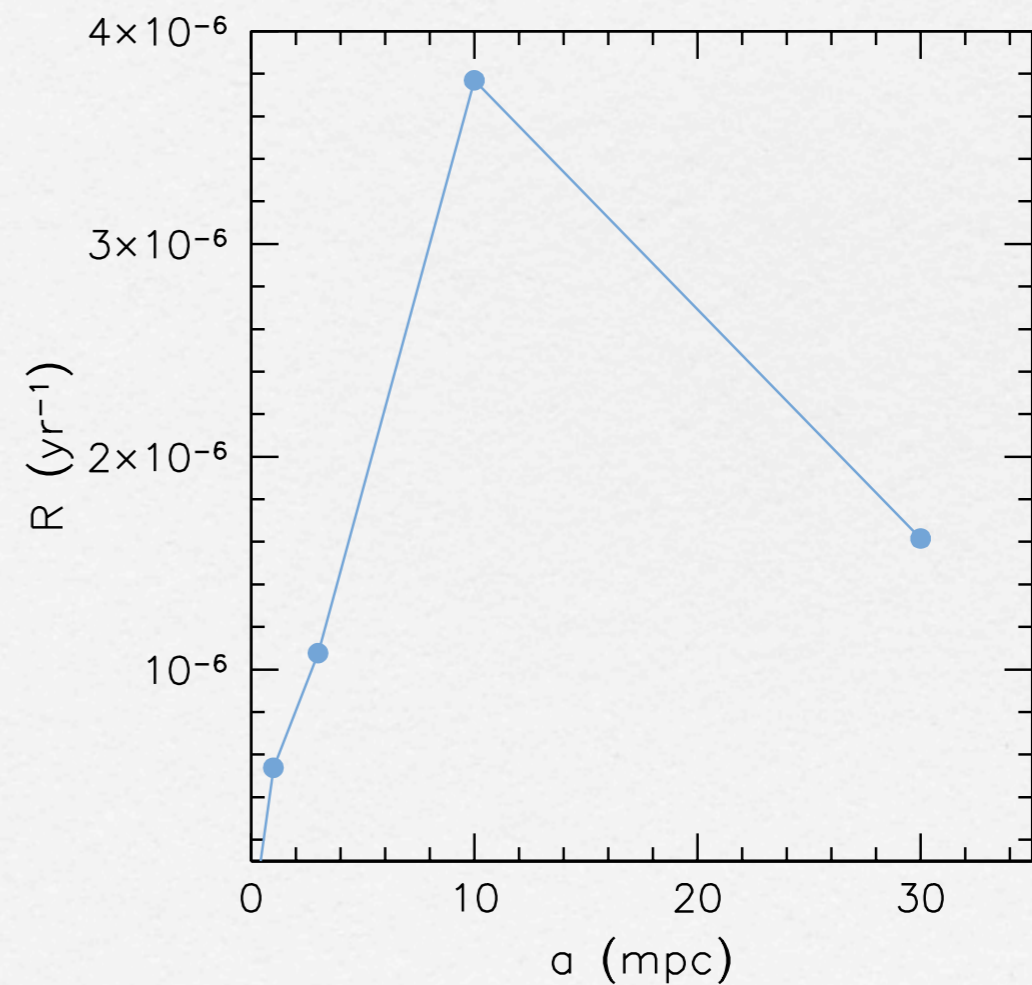
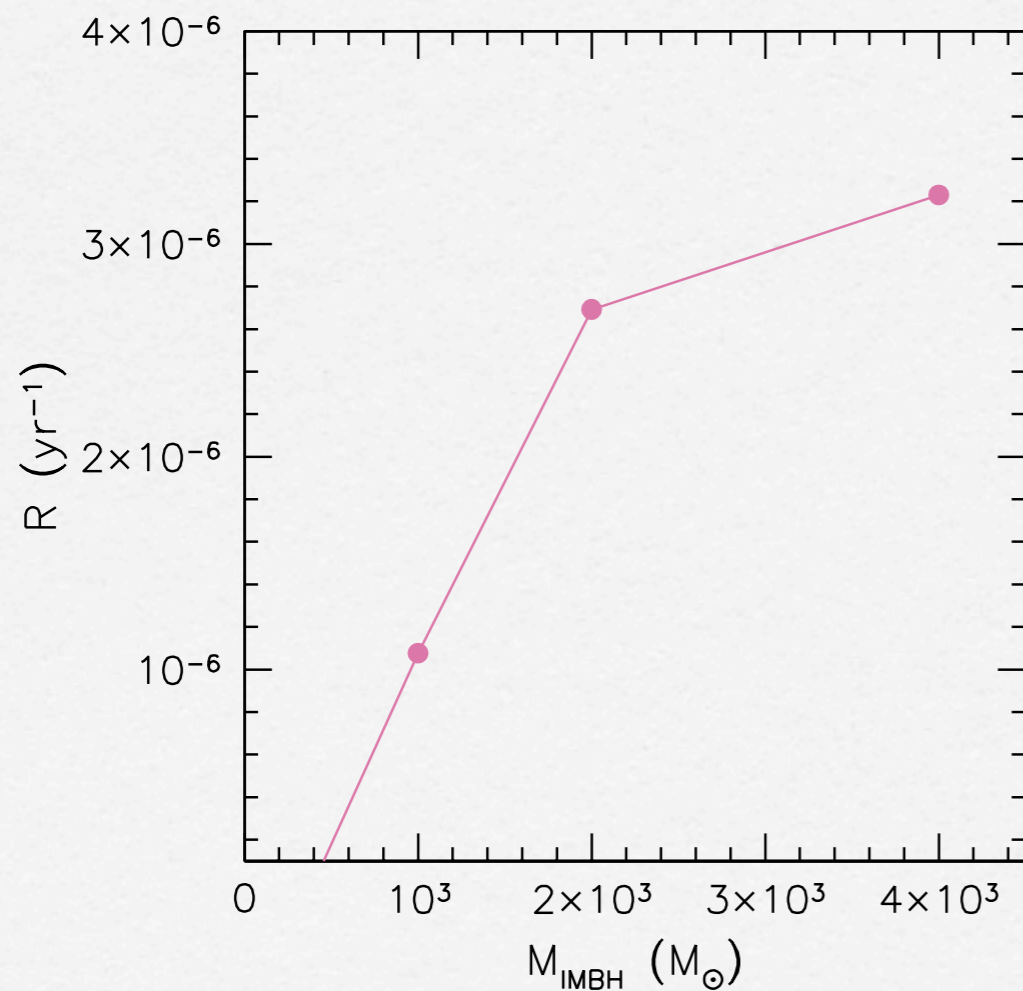
Kozai integral

Evolution of S-stars + IMBH

Rate of stellar captures

$(13/100) \times (10^4/19) \sim 70 \text{ captures}/10 \text{ Myr}$

$$R \sim 7 \times 10^{-6} \text{ yr}^{-1}$$



Origin of the S-stars

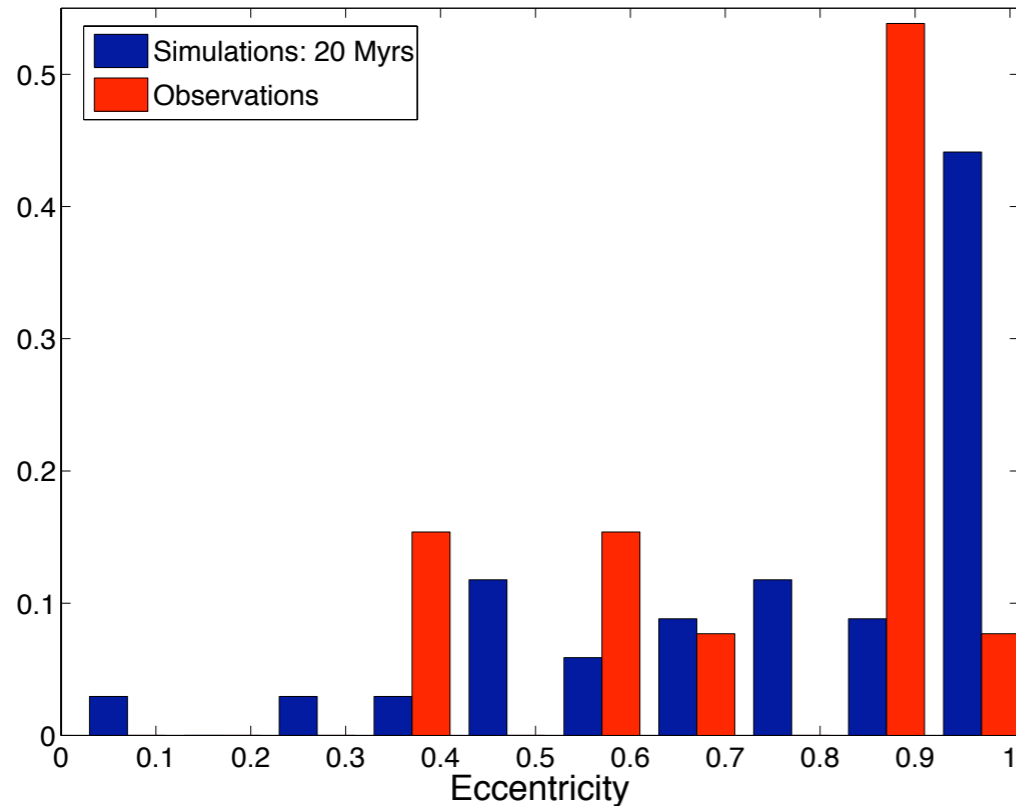
- captured during a 3-body encounter
stellar binary + SMBH
⇒ high eccentricity
- formed in a gaseous disk and migrated
to current location ⇒ low eccentricity

Origin of the S-stars

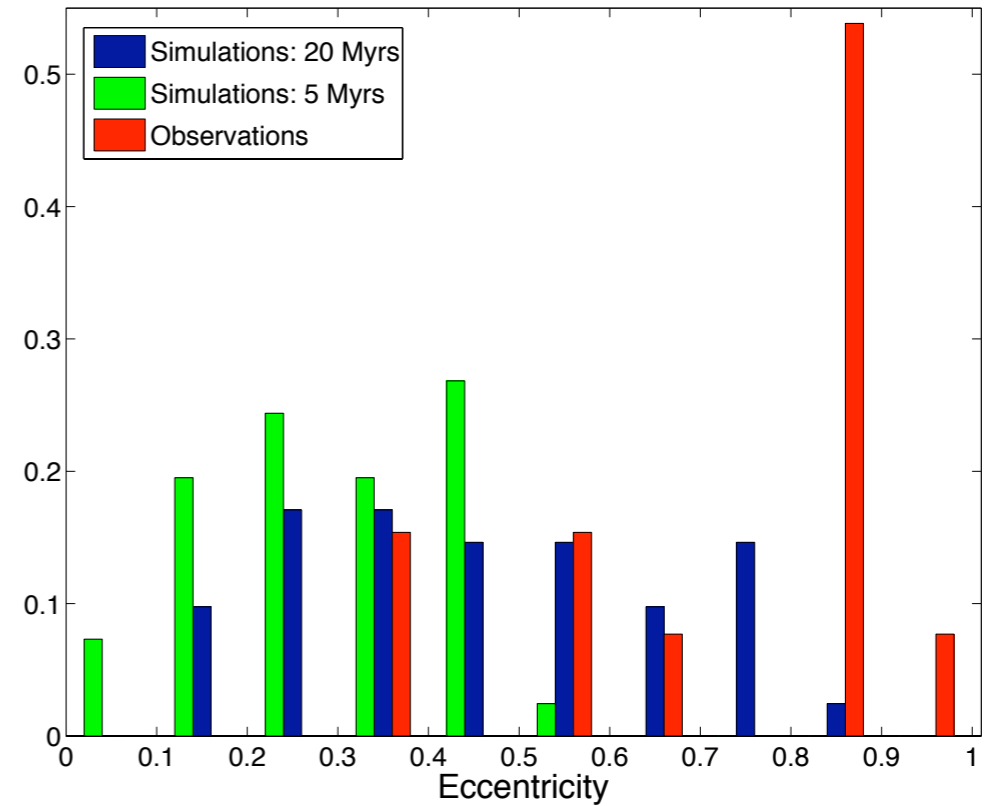
- Isotropic cusp $N = 1200$
- $N_1 = 1000$ $N_2 = 200$
- $m_1 = 3 M_{\odot}$ S-stars, $m_2 = 10 M_{\odot}$ bhs
- $M_{\text{BH}} = 3.6 \times 10^6 M_{\odot}$
- Power-law distribution $r^{-\alpha}$, $0.001 < r < 0.05 \text{ pc}$
 $\alpha = 2$ for bhs, $\alpha = 1.5$ for s-stars

Origin of the S-stars

Eccentricity distribution



high initial eccentricities
($e > 0.96$) binary disruption



low initial eccentricities
($e < 0.3$) disk origin

Simulations performed with ϕ GRAPE

Perets, Gualandris, Merritt, Alexander (in prep.)

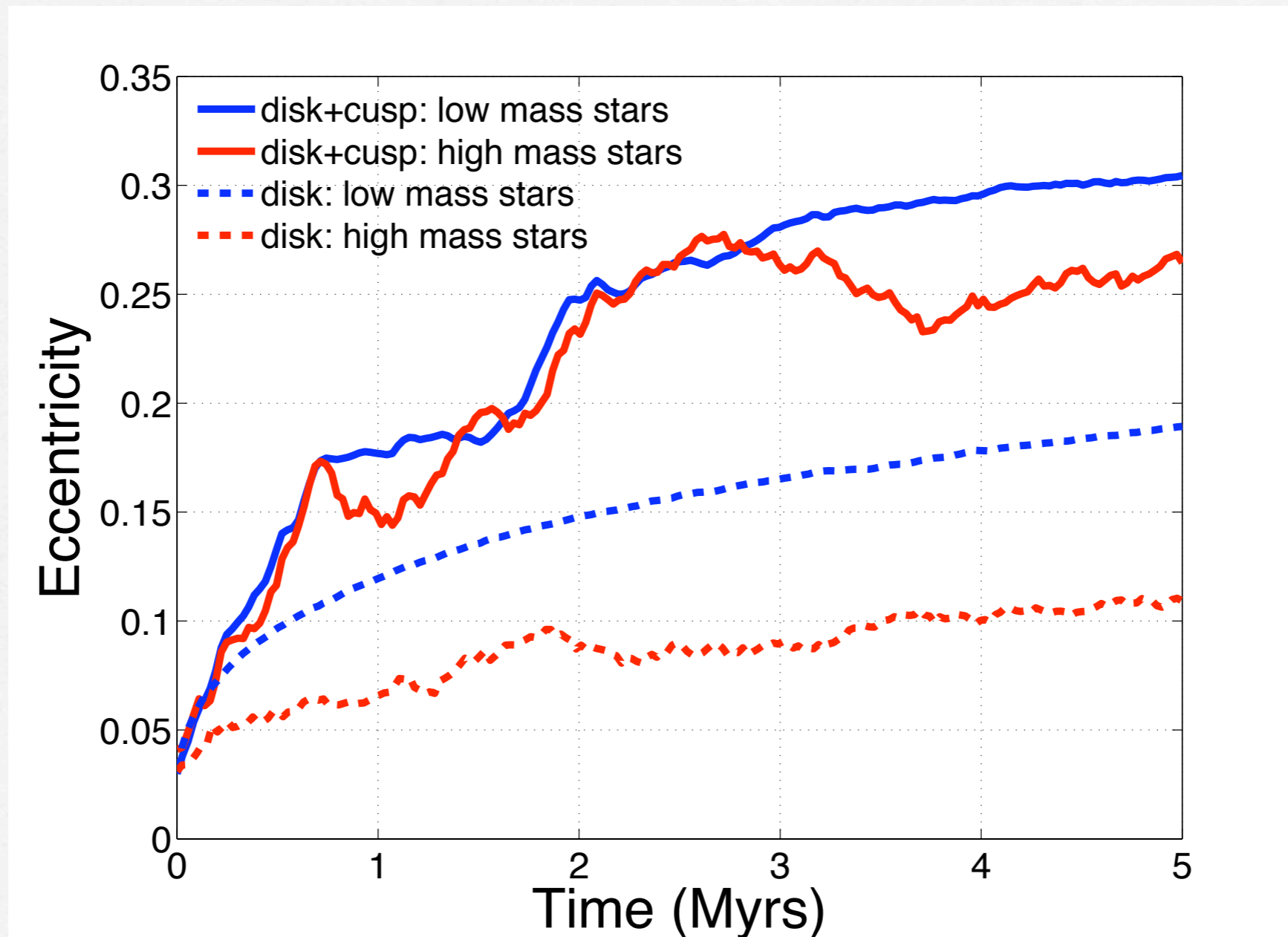
Evolution of the stellar disk

- Stars in the CW disk have significant eccentricities: $e > 0.2$ (Paumard et al. 2006), $e > 0.4$ (Lu et al. 2006)
- Stars in the CCW disk $e > 0.8$ (Paumard et al. 2006)
- Origin of disk stars: in situ formation from an accretion disk

Evolution of the stellar disk

- Single stellar disk $M = 5000 M_{\odot}$
 - $N = 5000$ equal mass stars
 - $N = 2500$ stars with Salpeter mass function
- thin disk ($H/R \sim 0.01$), all stars \sim circular ($e \lesssim 0.01$), surface density $\sim r^{-2}$
- $M_{\text{BH}} = 3.6 \times 10^6 M_{\odot}$
- with/without stellar cusp (1.6×10^4 black holes $m = 10 M_{\odot}$, r^{-2} power-law distribution between 0.01-0.8 pc)

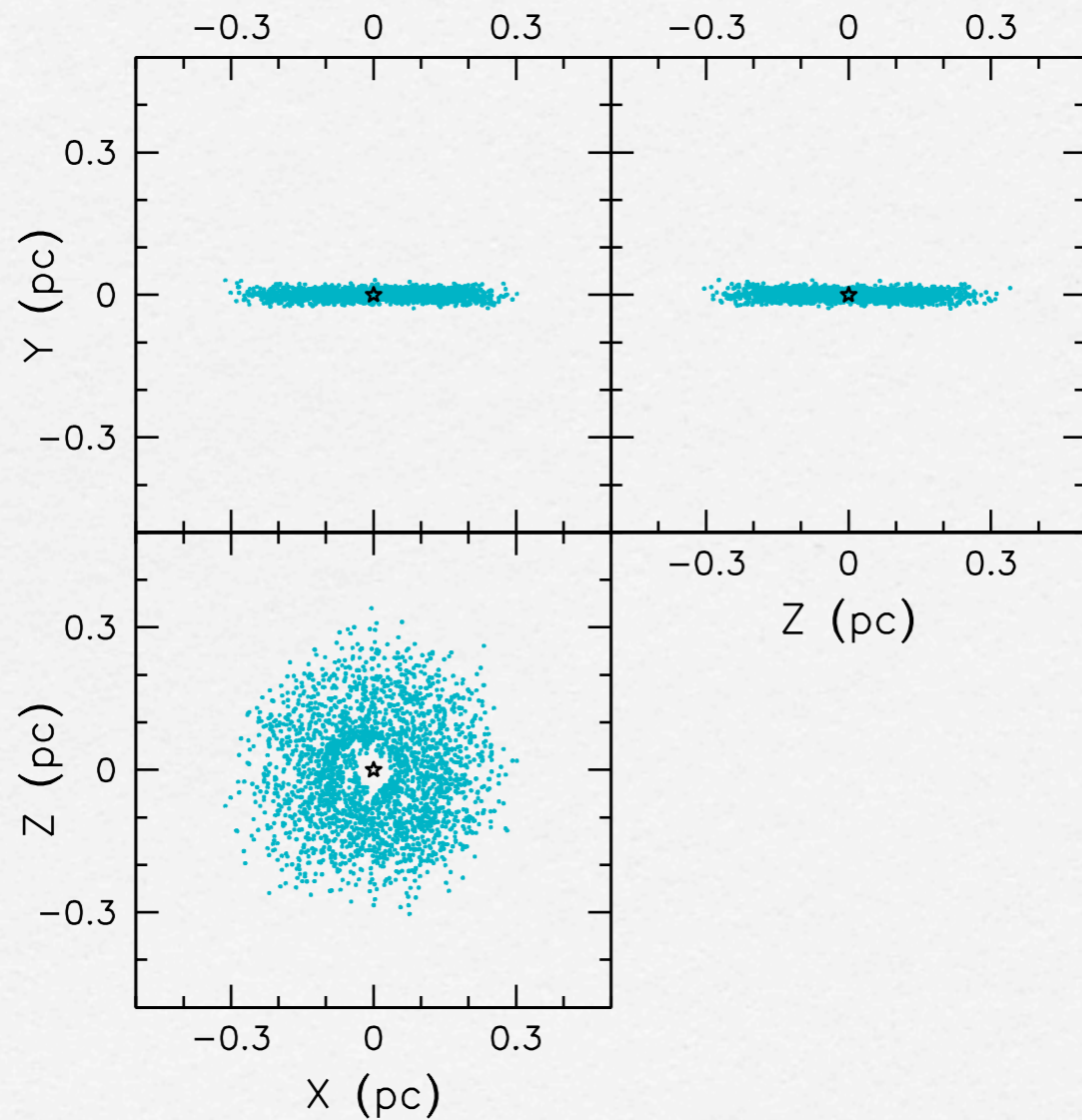
Evolution of the stellar disk



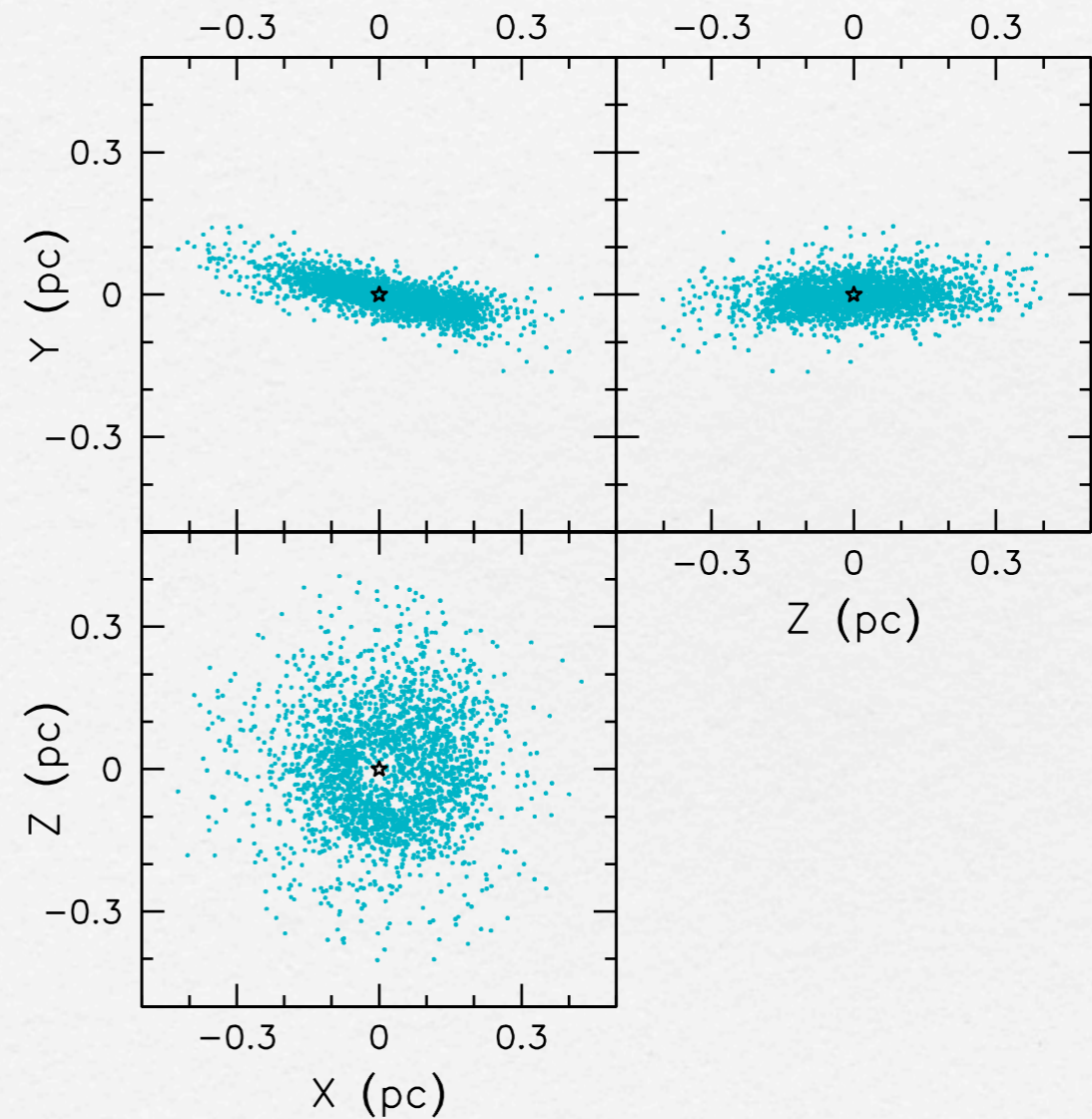
Simulations performed with
 ϕ GRAPE

Perets, Gualandris, Merritt, Alexander (in prep.)

Evolution of the stellar disk



without black hole cusp



with black hole cusp